

Brief Introduction to Matlab (mupad) symbolic mathematics toolbox.

```
//// Comments are preceded by "//" //////////////
```

```
E^(3*x);
```

e^{3x}

```
exp(3*x);
```

e^{3x}

```
e^(3*x);
```

e^{3x}

```
float(E^1);
```

```
float(e^1);
```

2.718281828

e

```
PI;
```

```
float(PI);
```

```
float(pi);
```

π

3.141592654

pi

```
factor(1*x^2+3*x-10);
```

$(x+5)(x-2)$

```
eq1 := a*x^2+b*x+c=0;
```

```
solve(eq1,x);
```

$ax^2 + bx + c = 0$

$$\left\{ \begin{array}{ll} \left\{ -\frac{b+\sqrt{b^2-4ac}}{2a}, -\frac{b-\sqrt{b^2-4ac}}{2a} \right\} & \text{if } a \neq 0 \\ \left\{ -\frac{c}{b} \right\} & \text{if } a = 0 \wedge b \neq 0 \\ \mathbb{C} & \text{if } a = 0 \wedge b = 0 \wedge c = 0 \\ \emptyset & \text{if } a = 0 \wedge b = 0 \wedge c \neq 0 \end{array} \right.$$

```
sol := solve(eq1,x,IgnoreSpecialCases);
```

$$\left\{ -\frac{b+\sqrt{b^2-4ac}}{2a}, -\frac{b-\sqrt{b^2-4ac}}{2a} \right\}$$

```
sol[1];
```

$$-\frac{b+\sqrt{b^2-4ac}}{2a}$$

```
sol[2];
```

$$-\frac{b-\sqrt{b^2-4ac}}{2a}$$

```
subs(eq1,x=sol[1]);
```

$$c + \frac{(b+\sqrt{b^2-4ac})^2}{4a} - \frac{b(b+\sqrt{b^2-4ac})}{2a} = 0$$

```
simplify(%);
```

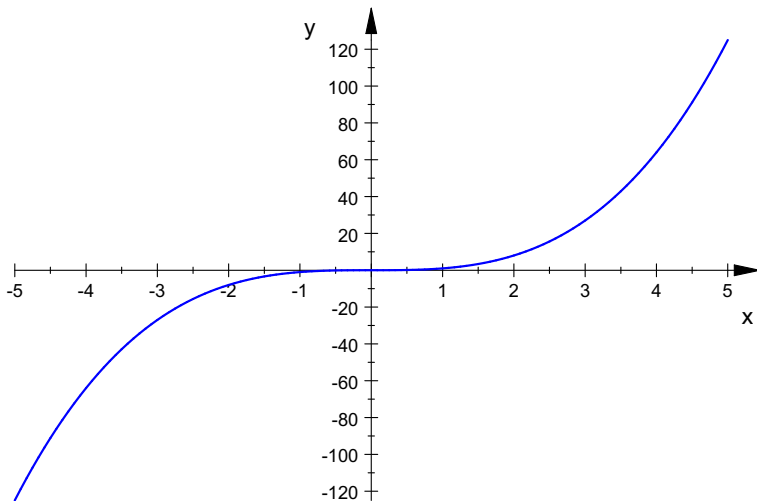
$0 = 0$

```
anames(All, User);
```

```

[ {eq1, sol}
[ eq1; sol;
[ a x^2 + b x + c = 0
[  $\left\{ -\frac{b + \sqrt{b^2 - 4ac}}{2a}, -\frac{b - \sqrt{b^2 - 4ac}}{2a} \right\}$ 
[ delete eq1, sol;
[ eq1; sol;
[ eq1
[ sol
[ ///// Calculus //////////////////////////////////////
[ diff(x^2,x);
[ 2 x
[ ///// defining functions ////
[ y := x-> 3*x^2+4*x;
[ y(x);
[ x → 3 x^2 + 4 x
[ 3 x^2 + 4 x
[ diff(y(x),x);
[ y'(x); ///// using ' is an alternate way to take derivatives
[ 6 x + 4
[ 6 x + 4
[ int(y(x),x); ///// indefinite integral
[ x^2 (x+2)
[ expand(%);
[ x^3 + 2 x^2
[ int(y(x),x=a..b); ///// definite integral
[ b^2 (b+2) - a^2 (a+2)
[ ////////////////////////////////////// Plotting //////////////////////////////////////
[ plot(x^3);

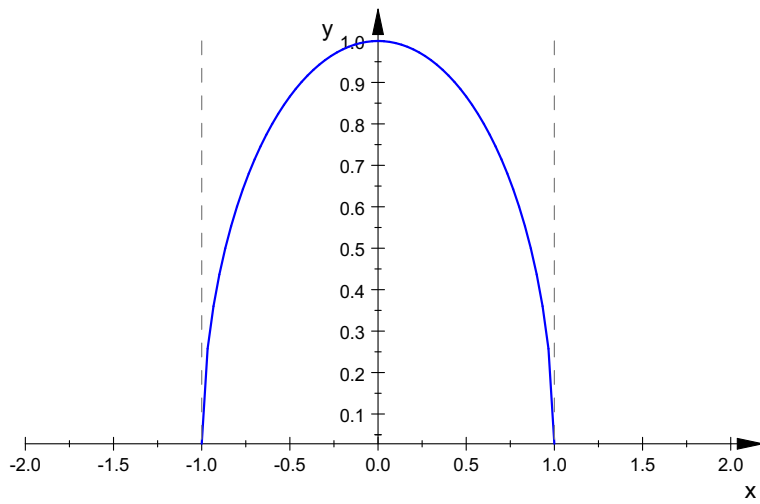
```



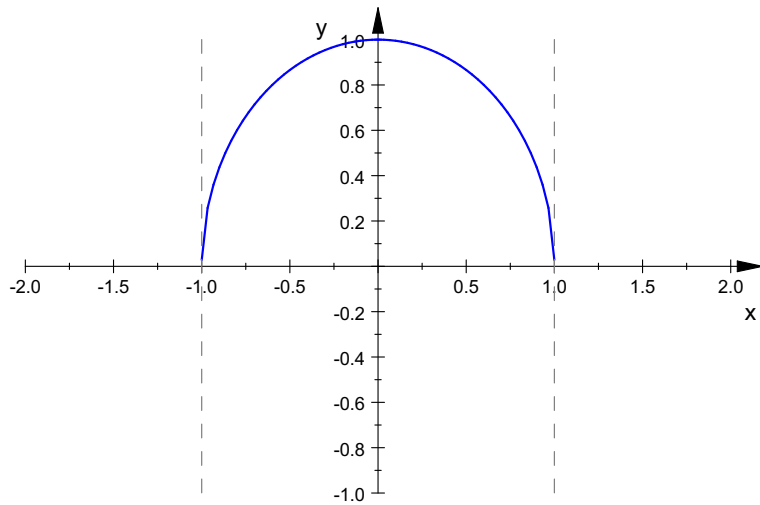
```

[ plotfunc2d(sqrt(1-x^2),x=-2..2);

```



```
plotfunc2d(sqrt(1-x^2), x=-2..2, YRange=-1..1)
```

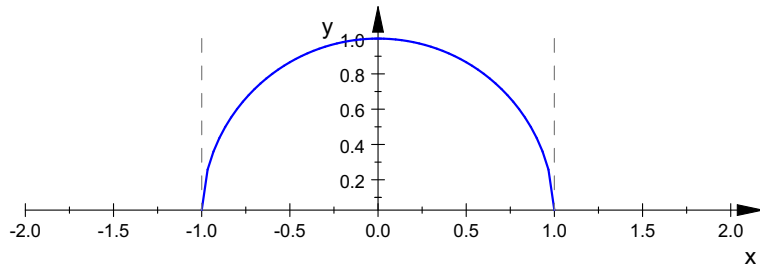


```
//// Alternate plotting commands ////
```

```
plt1 := plot::Function2d(sqrt(1-x^2), x=-2..2, Scaling=Constrained);
```

```
plot::Function2d( $\sqrt{-x^2 + 1}$ , x = -2..2)
```

```
plot(plt1);
```



```
plt1 := plot::Function2d(sin(x), x=-2*PI..2*PI, Color=RGB::Red);
```

```

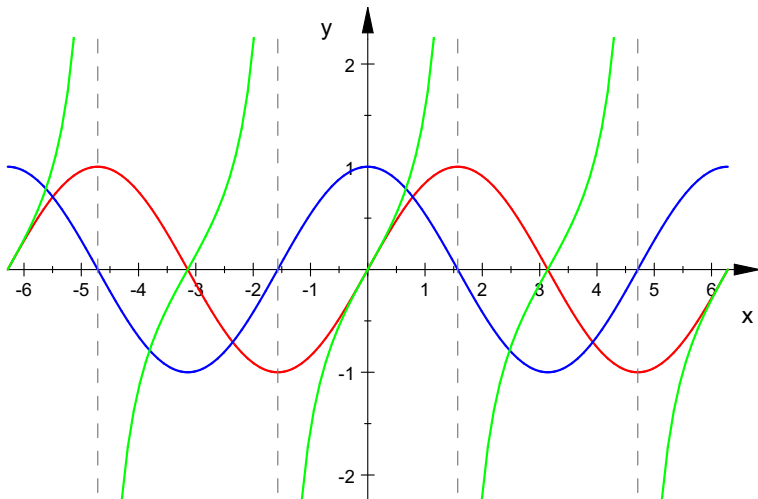
plt2 := plot::Function2d(cos(x), x=-2*PI..2*PI, Color=RGB::Blue);
plt3 := plot::Function2d(tan(x), x=-2*PI..2*PI, Color=RGB::Green);
plot::Function2d(sin(x), x = -2 π..2 π)
plot::Function2d(cos(x), x = -2 π..2 π)
plot::Function2d(tan(x), x = -2 π..2 π)

```

```

plot(plt1, plt2, plt3);

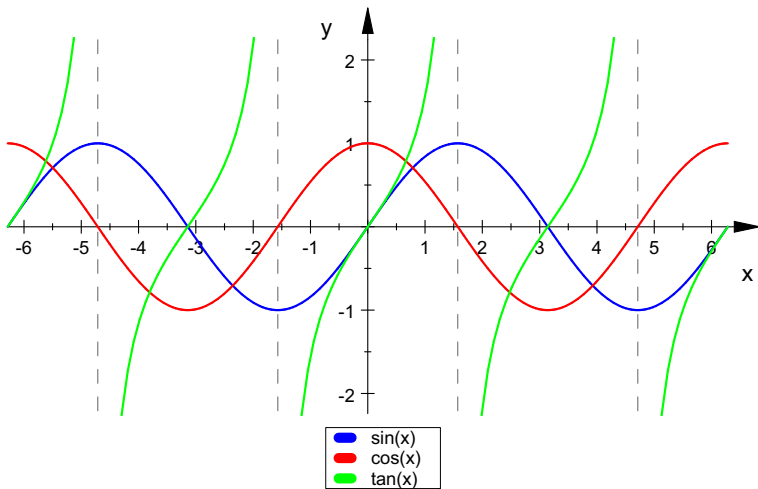
```



```

plotfunc2d(sin(x), cos(x), tan(x), x=-2*PI..2*PI);

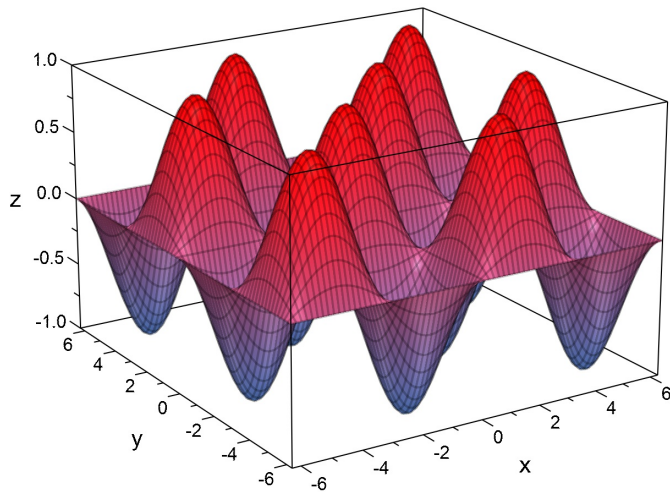
```



```

reset();
plt1 := plot::Function3d(sin(x)*sin(y), x=-2*PI..2*PI, y=-2*PI..2*PI, Mesh=[75,75]);
plot::Function3d(sin(x) sin(y), x = -2 π..2 π, y = -2 π..2 π)
plot(plt1);

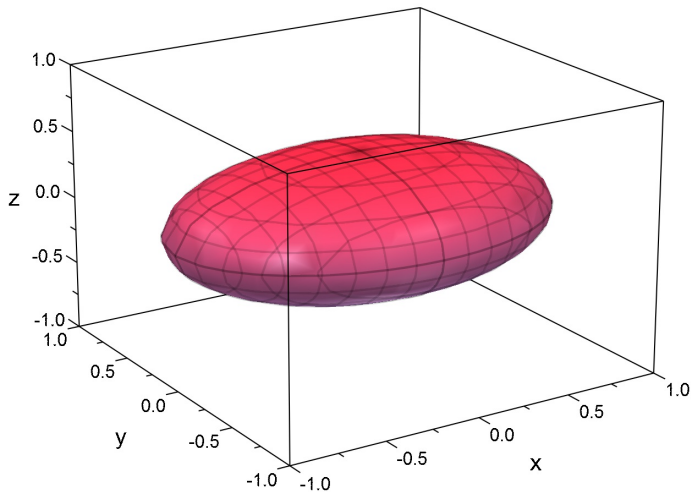
```



```

plot::Implicit3d(x^2+2*y^2+4*z^2=1,x=-1..1,y=-1..1,z=-1..1);
plot::Implicit3d(x^2+2*y^2+4*z^2-1,x=-1..1,y=-1..1,z=-1..1)
plot(%);

```



```

////////////////////
//////// "reset()" resets all assignments as if you closed and reopened mupad
reset();

```